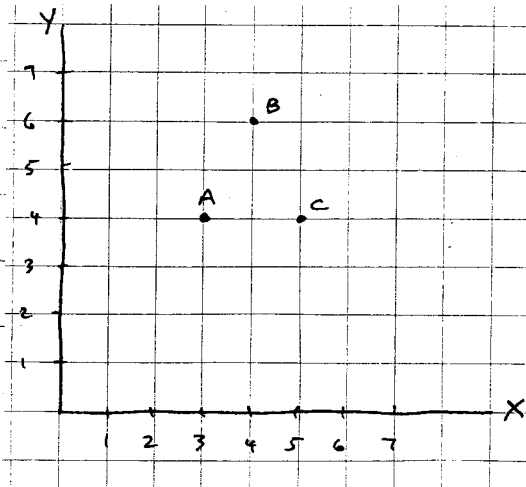


1.

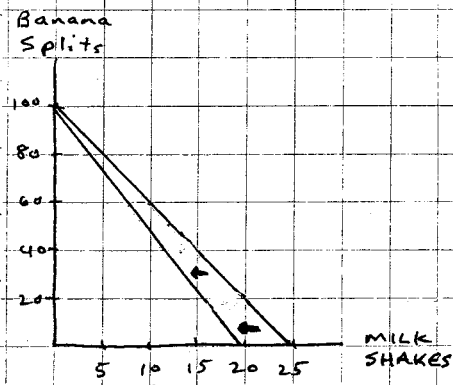


(a) Bundle B is preferred to Bundle A, and Bundle C is preferred to Bundle A.

(b) Bundle C has more X and the same amount of Y, so C is preferred to A.

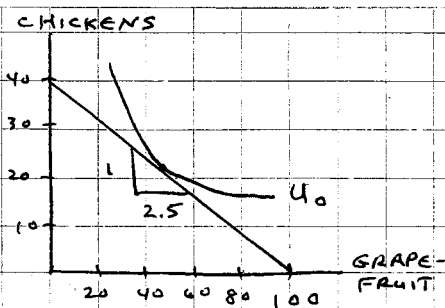
(c)  $MRS_{X,Y} = \frac{\Delta Y}{\Delta X} = \frac{2Y}{1X}$

2.



The set of goods that you can afford to purchase has contracted from one period to the next, so you are obviously worse off (unless you only consume banana splits, in which case you are equally well off.)

3.



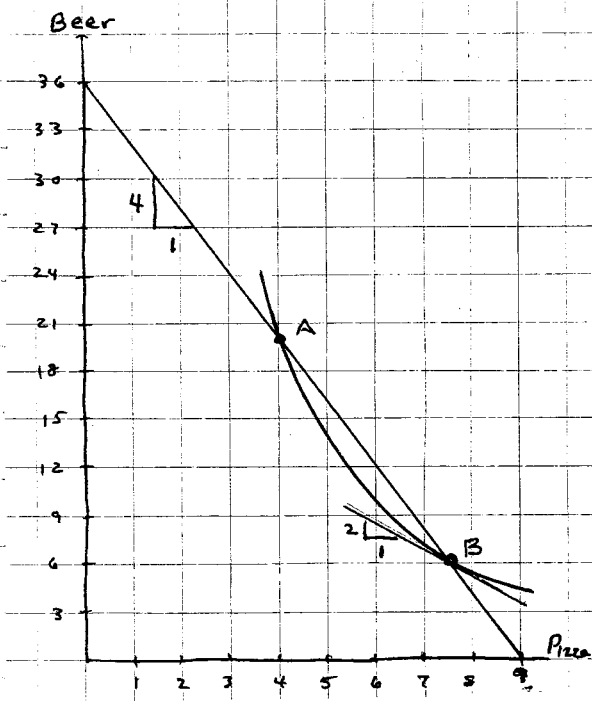
(a) see diagram

(b) Maximum utility occurs where IC is tangent to budget constraint, or where

$MRS_{X,Y} = \frac{P_X}{P_Y}$  . at that

point you will be willing to trade 1 chicken for 2.5 grapefruit.

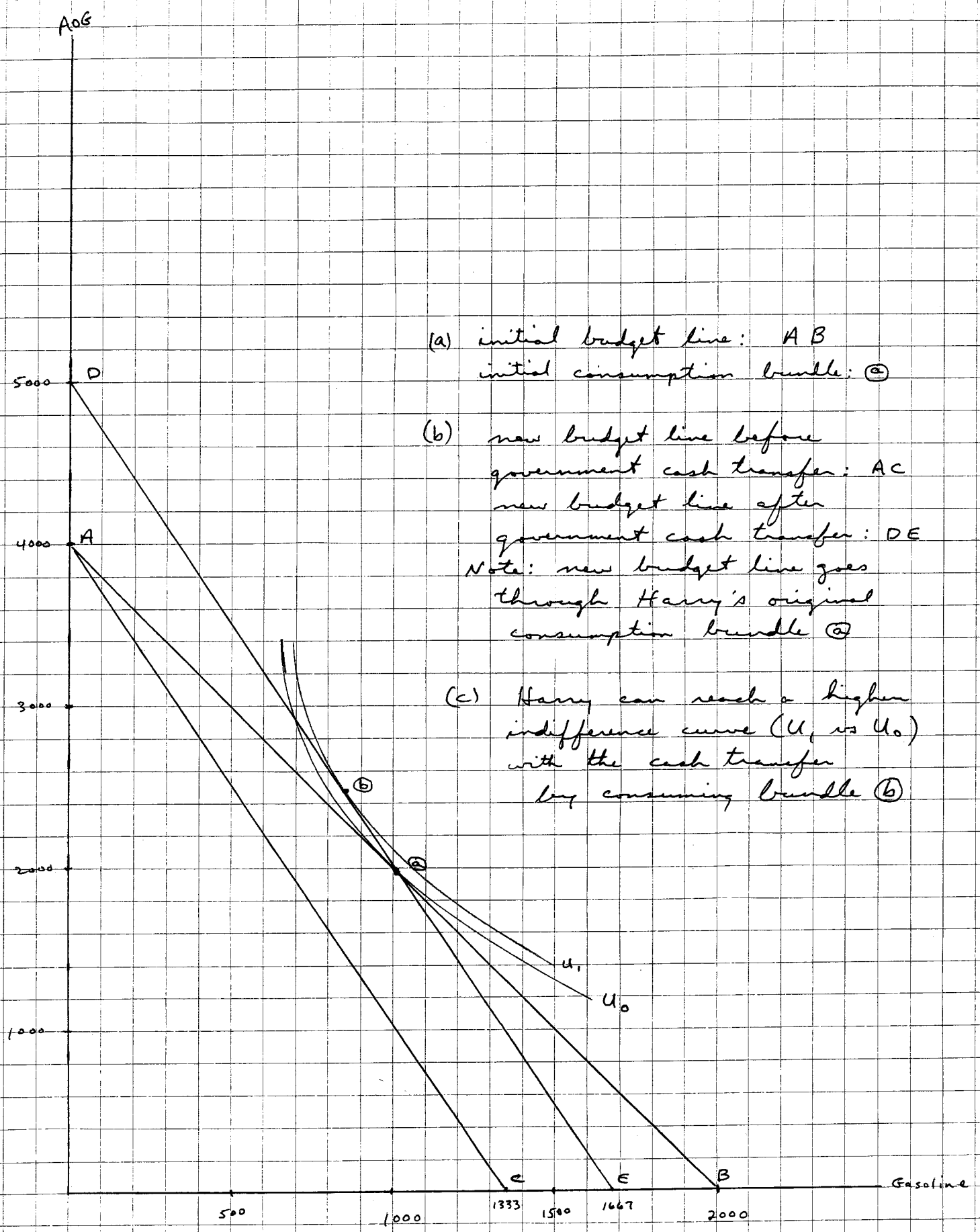
4.



Manfred's budget constraint is illustrated in the diagram. Its slope is  $\frac{P_x}{P_y} = \frac{4}{1}$ , meaning that in the marketplace one can trade at the rate of 4 beers for 1 pizza. For the bundle of beer and pizza that Manfred is

currently consuming, his MRS between beer and pizza is 2 beers for 1 pizza. That is consistent with a point like bundle B, where the slope of the indifference curve is flatter than the slope of the budget constraint.

5.



(a) initial budget line:  $AB$   
 initial consumption bundle: (a)

(b) new budget line before  
 government cash transfer:  $AC$   
 new budget line after  
 government cash transfer:  $DE$   
 Note: new budget line goes  
 through Harry's original  
 consumption bundle (a)

(c) Harry can reach a higher  
 indifference curve ( $U_1$  vs  $U_0$ )  
 with the cash transfer  
 by consuming bundle (b)