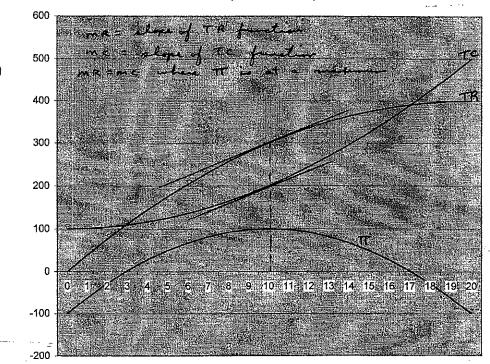
(a) 
$$P(Q) = 40-Q$$
 $TR = P(Q) \cdot Q = 40Q - Q^2$ 
 $MR = \frac{dTR}{dQ} = 40-2Q$ 
 $TC = 100 + Q^2$ 
 $MC = \frac{dTC}{dQ} = 2Q$ 
 $MR = MC \quad fm \quad max \quad TT : \quad 40-2Q = 2Q \quad 1240 = 4Q$ 
 $Q^* = 10 \quad p^* = 40-Q = *30$ 
 $TT = TR - TC = (40Q - Q^2) - (100 + Q^2) = *100$ 

## Total Revenue, Total Cost, and Profit

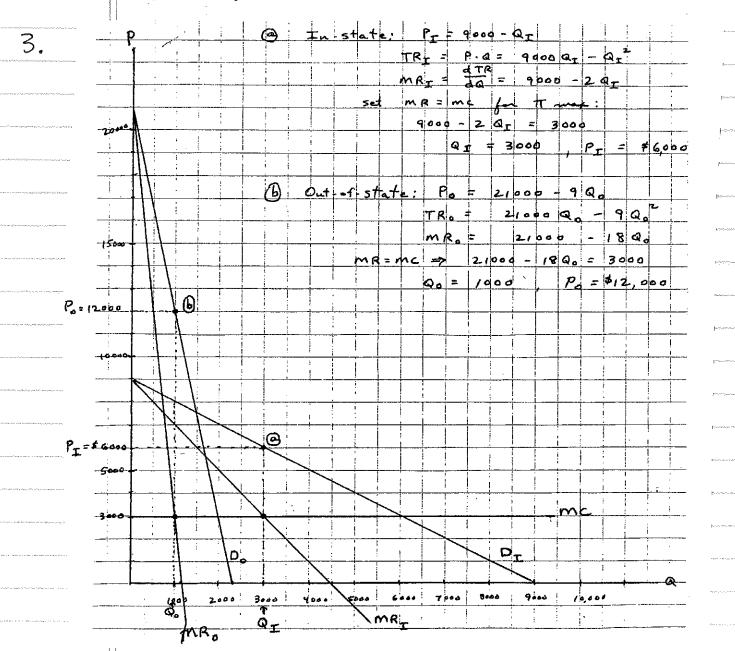




Inverse elasticity rule:  $\frac{P-mc}{P}=-\frac{1}{\epsilon}$ if  $\epsilon=-2$  and mc=k2:  $\frac{P-2}{P}=\frac{1}{2}$ , P=k4

so set the shelf price of a box of cereal equal to #4 per box in the growing stare.

if E = -5,  $\frac{P-2}{P} = \frac{1}{5}$ , P = \$2.50so offer a crupon in the newspaper with a redemption value of \$1.50, so that compon users pay an affective price of \$2.50.



4. Monopoly results in a misallocation of resources and hence is undesirable from society's point of view. In maximizing profits, a monopolist restricts output and drives up price. At the output a profit-maximizing monopolist selects, the price consumers are willing to pay for an additional unit of the good exceeds the marginal cost of supplying another unit of the good. Hence there is a deadweight loss to society—a loss to consumers that is not offset by a gain to the monopolist. The deadweight loss due to monopoly can be seen in the following simple diagram.

## The Deadweight Loss of Monopoly

The competitive long-run supply curve is LS; if the industry is competitively organized, output is Q and price is P. With monopoly, LS is assumed to be the same as the monopolist's long-run AC and MC curves, and the profit-maximizing output is  $Q_M$  at a price of  $P_M$ . Price is higher and output lower under monopoly. The shaded rectangular area shows monopoly profit. Triangular area BCA is the deadweight loss associated with the reduced output under monopoly.

